



# Evolving Reinforcement Learning Algorithms

**Motivation** 



- Desire general purpose RL algorithms without manual effort.
- Problem: Meta-learn RL algorithms that generalize.



- RL algorithm as a learned optimizer
- Meta-learn the optimizer
  - Improved performance
  - Generalizable
  - Interpretable
  - Scale with compute 0

### <u>Overview</u>

- **Insight:** RL algorithm as a computational graph
- **Method:** Evolve population of graphs by mutating, training, and evaluating RL agents
- **Result:** Learn new algorithms which generalize to unseen environments



# **Prior Work**

- Genetic Programming
  - Holland 1975, Koza 1993, Schmidhuber 1987
  - AutoML: Zoph & Le 2016, Hutter 2018, Real et al. 2020
  - Mostly applied to SL
- Meta-learning in RL
  - Adaptation: Finn & Levine 2018
  - **RNNs:** Duan et al. 2016, Wang et al. 2017
  - Not domain agnostic
- Learning RL Algorithms
  - **Metagradients**: Kirsch et al. 2020, Oh et al. 2020
  - Not interpretable
  - **Exploration**: Alet et al. 2020

https://sites.google.com/view/evolvingrl

# RL Algorithm as a Computational Graph

Computational graph computes loss function for agent to optimize.



 $L_{DQN} = (Q_{\theta}(s_t, a_t) - (r_t + \gamma * \max Q_{\theta'}(s_{t+1}, a)))^2$ 

Example graph for DQN loss function which computes Bellman squared error using two Q value networks.

- Directed acyclic graph computes DQN style loss function for value-based agent
- Node types include neural network operators to support more complex architectures
- Data types allows for type checking and ruling out invalid graphs
- Functional equivalence checker skips graphs that are functionally the same
- Representation is expressive, interpretable, and generalizable

Operation	Input Types	Output Type
Add	Ж, Ж	X
Subtract	Ж, Ж	X
Max	Ж, Ж	X
Min	Ж, Ж	X
DotProduct	X, X	$\mathbb{R}$
Div	X, X	X
L2Distance	Ж, Ж	R
MaxList	$List[\mathbb{R}]$	$\mathbb{R}$
MinList	$List[\mathbb{R}]$	$\mathbb R$
ArgMaxList	$List[\mathbb{R}]$	$\mathbb{Z}$
SelectList	$List[X], \mathbb{Z}$	X
MeanList	List[X]	X
VarianceList	List[X]	X
Log	X	X
Exp	X	X
Abs	X	X
$(C)NN: \mathbb{S} \to List[\mathbb{R}]$	S	$List[\mathbb{R}]$
$(\mathrm{C})\mathrm{NN}{:}\mathbb{S}\to\mathbb{R}$	S	R
$(\mathrm{C})\mathrm{NN}{:}\mathbb{S}\to\mathbb{V}$	V	$\mathbb V$
Softmax	$List[\mathbb{R}]$	$\mathbb{P}$
KLDiv	$\mathbb{P},\mathbb{P}$	$\mathbb R$
Entropy	$\mathbb{P}$	$\mathbb{R}$
Constant		1, 0.5, 0.2, 0.1, 0.01
MultiplyTenth	X	X
Normal(0, 1)		$\mathbb{R}$
Uniform(0, 1)		$\mathbb{R}$

### **Evolve Population of RL Algorithms**



- Initialize population of ~ 300 RL algorithms with randomized computation graphs
- Evaluate performance by training over set of diverse but cheap envs.
- Mutate most promising algorithms to spawn new agents for evaluation
- Regularized Evolution removes oldest algorithms from population
- Hurdle env. stops bad algorithms early
- Can bootstrap from existing algorithms
- Evolutionary method can scale with compute

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# Learned Algorithms

 $Y_t = r_t + \gamma * \max_a Q_{targ}(s_t, a), \text{ and } \delta = Q(s_t, a_t) - Y_t.$ 

$$L_{\text{DQNClipped}} = \max\left[Q(s_t, a_t), \delta^2 + Y_t\right] + \max\left[Q(s_t, a_t) - Y_t, \gamma(\max_a Q_{targ}(s_t, a))^2\right]$$

#### DQNClipped as constrained optimization

 $L_{\text{DQNReg}} = 0.1 * Q(s_t, a_t) + \delta^2$ 

• DQNReg as entropy regularization





• Learned algorithms prevent value overestimation in different ways <u>Results</u>



• Outperform baselines on train envs



Generalize to unseen environments.



44127.0

35466.0

65516.0

Benefits on Atari even though training envs. were non-image based

# Future Work

• Extensions to actor critic, offline RL, representation learning

39544.0

- Analyze and incorporate learned algorithms into existing ones
- Machine assisted algorithm development

RoadRunner

